

Raport de Activitate - 2020 - anexă citări

1 Citări apărute în 2019 și neconținute în Raportul pe 2019

1. M. Ishikawa, T. Nguyen, T.-S. Pham, Bifurcation sets of real polynomial functions of two variables and Newton polygons **J. Math. Soc. Japan** **71** (2019), pag. 1201–1222
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Citează: H.I. Ene, D. Polișevki, Thermal Flow in Porous Media, Springer New York Heidelberg (D.Reidel Pub.Co., Dordrecht, Holland) (1987), 208 pages
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